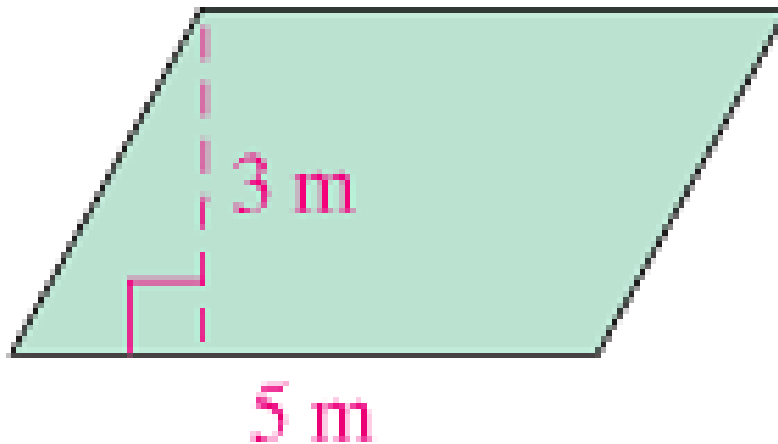


Areas of Parallelograms, Triangles and Trapezoids

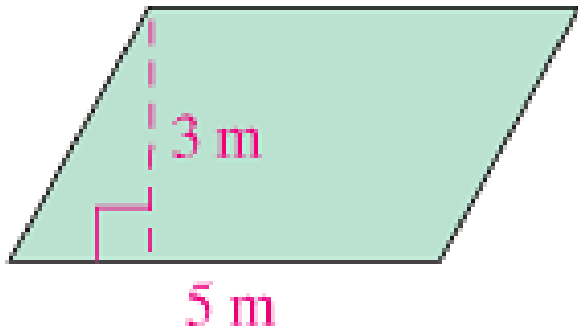
Parallelogram

- A parallelogram is a quadrilateral where the opposite sides are congruent and parallel.
- A rectangle is a type of parallelogram, but we often see parallelograms that are not rectangles (parallelograms without right angles).



Area of a Parallelogram

- Any side of a parallelogram can be considered a **base**. The **height** of a parallelogram is the perpendicular distance between opposite bases.
- The area formula is $A=bh$



$$A=bh$$
$$A=5(3)$$
$$A=15\text{m}^2$$

Area of a Parallelogram

- If a parallelogram has an area of **A** square units, a base of **b** units, and a height of **h** units, then **$A = bh$** .

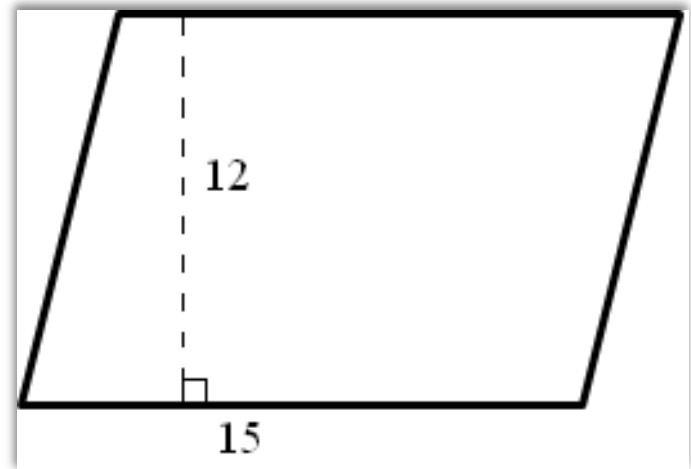
Example 2

Base = 15 units

Height = 12 units

Area = 15 units x 12 units

Area = 180 sq. units



Ex. 3 Find the missing unit

- Area= 56 inches squared
- Base= _____
- Height= 8inches

$$A = \text{base} \times \text{Height}$$



Area of Rectangles and Triangles

- ***AF 3.1 Use variables in expressions describing geometric quantities.***

Objective: Students will use variables in expressions describing geometric quantities for Areas by using formulas and scoring an 80% proficiency on an exit slip.

Formula for Area of Rectangle

- Area = Length X Width

$$A=L \times W$$

6cm
W



$$A=L \times W$$

$$A=10\text{cm} \times 6\text{cm}$$

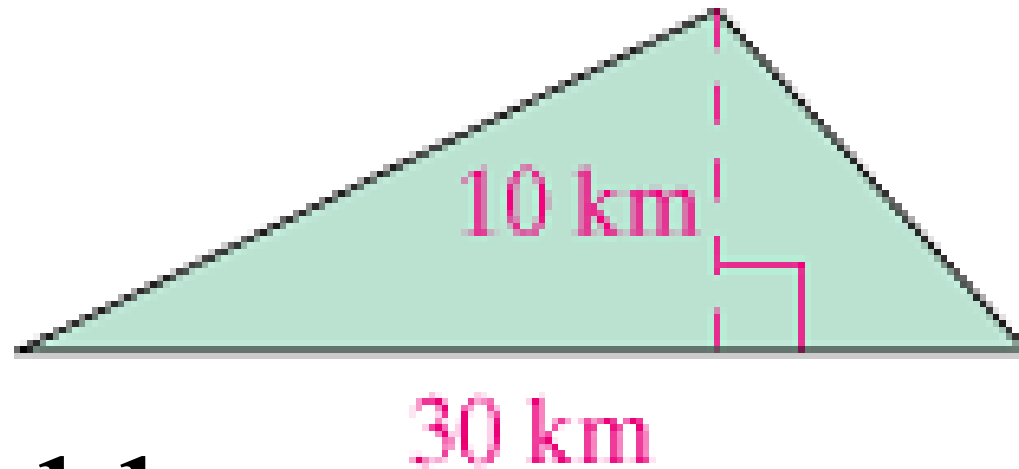
$$A=60\text{cm}^2$$

10cm
L

Area of a Triangle

- A triangle is a three sided polygon. Any side can be the **base** of the triangle. The **height** of the triangle is the perpendicular length from a vertex to the opposite base.
- A triangle (which can be formed by splitting a parallelogram in half) has a similar area formula: $A = \frac{1}{2} bh$.

Example 1



$$A = \frac{1}{2} bh$$

$$A = \frac{1}{2} (30)(10)$$

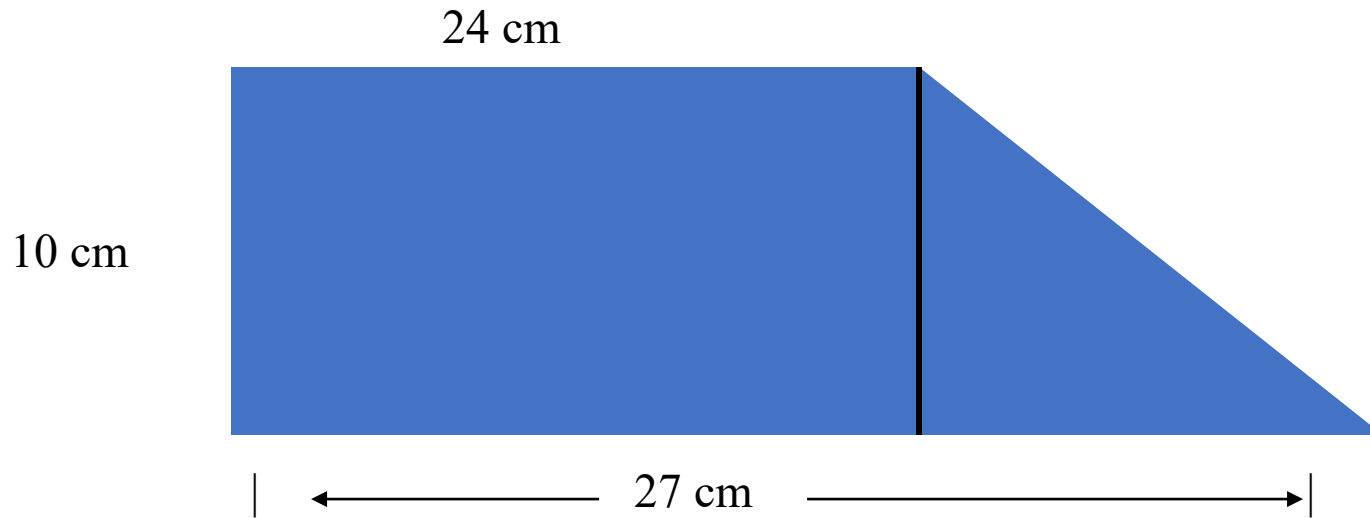
$$A = \frac{1}{2} (300)$$

$$A = 150 \text{ km}^2$$

Complex Figures

- Use the appropriate formula to find the area of each piece.
- Add the areas together for the total area.

Example



Split the shape into a rectangle and triangle.

The rectangle is 24cm long and 10 cm wide.

The triangle has a base of 3 cm and a height of 10 cm.

Solution

Rectangle

$$A = lw$$

$$A = 24(10)$$

$$A = 240 \text{ cm}^2$$

Triangle

$$A = \frac{1}{2} bh$$

$$A = \frac{1}{2} (3)(10)$$

$$A = \frac{1}{2} (30)$$

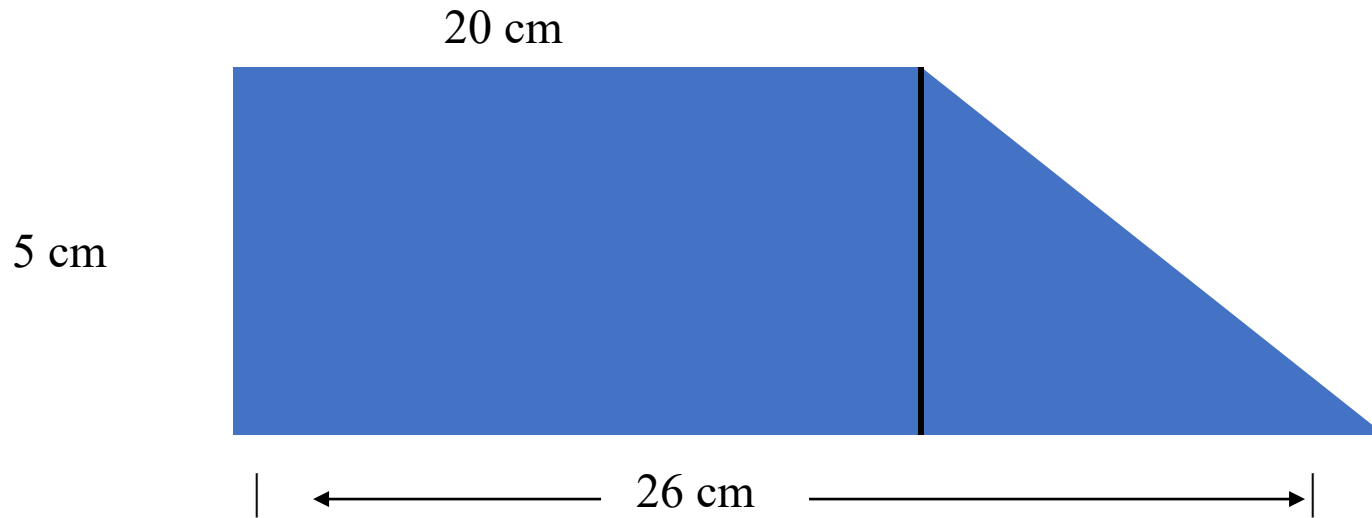
$$A = 15 \text{ cm}^2$$

Total Figure

$$A = A_1 + A_2$$

$$A = 240 + 15 = 255 \text{ cm}^2$$

Example



Split the shape into a rectangle and triangle.

The rectangle is 20cm long and 5 cm wide.

The triangle has a base of 6 cm and a height of 5cm.

Solution

Rectangle

$$A = lw$$

Triangle

$$A = \frac{1}{2} bh$$

Total Figure

$$A = A_1 + A_2$$

$$A =$$